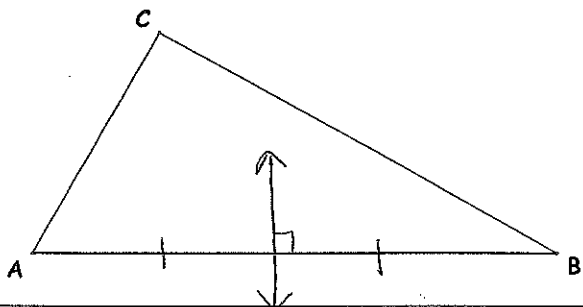
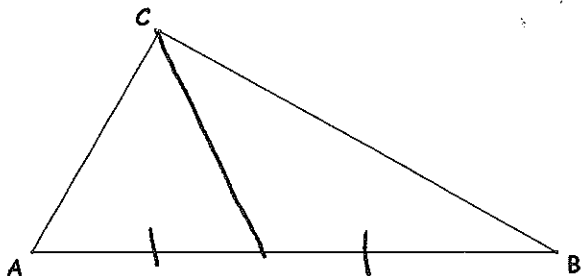
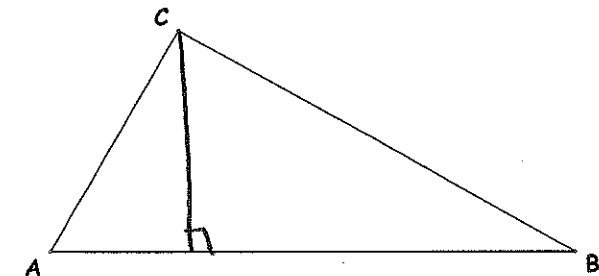
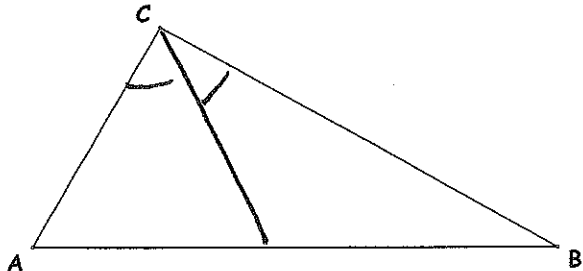
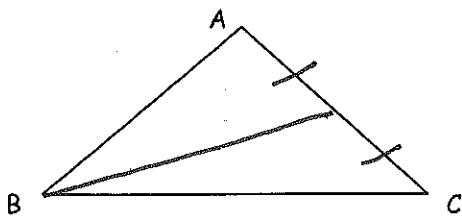


There are *four* special segments that we can draw and use in any type of triangle. Here is a description and we will draw pictures of each:

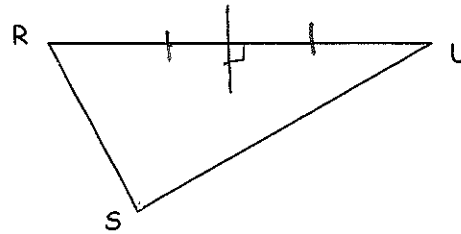
Special Segment	Description	Picture
Perpendicular Bisector	Goes through the <i>midpoint</i> of a side, and is <i>perpendicular</i> to the side. (does <i>not</i> have to go through the opposite vertex)	Draw the perpendicular bisector of side AB. 
Median	Goes through the <i>midpoint</i> of a side and connects to the opposite <i>vertex</i>	Draw the median of side AB. 
Altitude	Must be <i>perpendicular</i> to a side, and go through the opposite vertex	Draw the altitude to side AB. 
Angle Bisector	Goes through a <i>vertex</i> of a triangle, cutting that angle in <i>half</i>	Draw the angle bisector of $\angle C$. 

Draw each of the following figures.

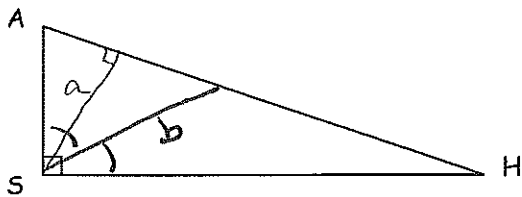
1. Draw the median to side AC.



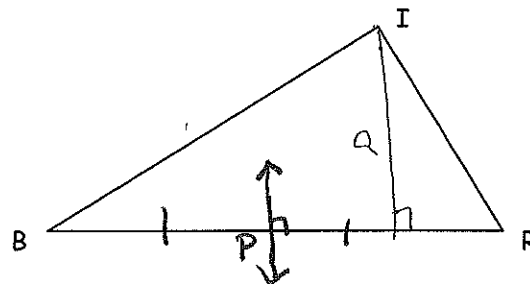
2. Draw the perpendicular bisector of side RU.



3. Draw the angle bisector of $\angle S$ and the altitude to side HA. (put a "b" by the bisector of $\angle S$ and an "a" by the altitude)

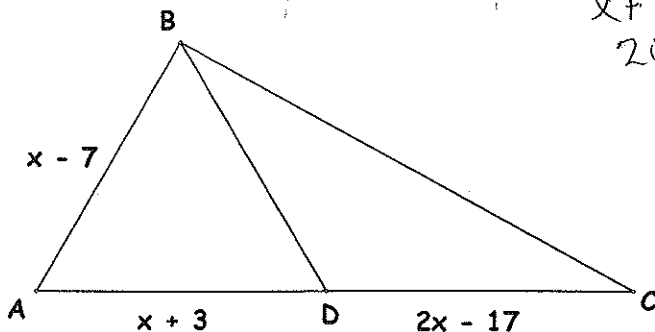


4. Draw the altitude to side BR and the perpendicular bisector of side BR. (put an "a" by the altitude and a "p" by the perpendicular bisector)



Solve for x and then plug it in to find the measure of each indicated side. Beware of extra information!

1. Find AB if BD is a median in $\triangle ABC$.

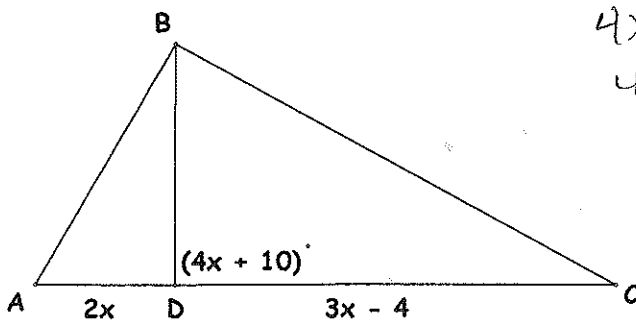


$$x + 3 = 2x - 17$$

$$20 = x$$

$$x = 20, AB = 13$$

2. Find AC if AD is an altitude of $\triangle ABC$.



$$4x + 10 = 90$$

$$4x = 80$$

$$x = 20$$

$$x = 20, BC = \underline{\hspace{2cm}}$$