
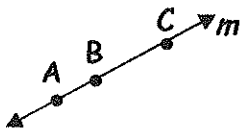
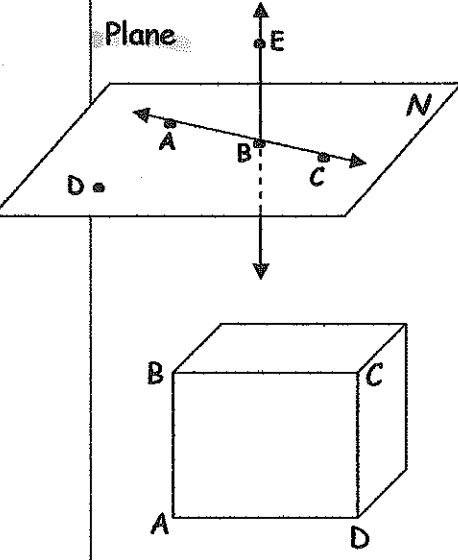
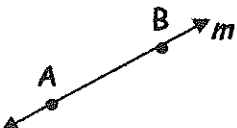


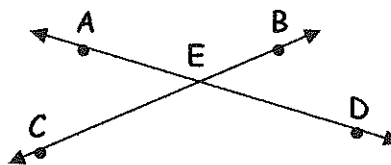
The three undefined terms in geometry are *point*, *line*, and *plane*.

<p>Point</p> 	<p>A point is a location in space. A point has no size. Represented by a small dot and a capital letter Space is defined as the set of all points.</p>
<p>Line</p> 	<p>A series of points that extend in two opposite directions without end. You can name a line by any two points on the line such as \overleftrightarrow{AB} (read "line AB"). Another way to name a line is by a single lower case letter. Points that lie on the same line are <i>collinear points</i>.</p>
<p>Plane</p> 	<p>A plane is a flat surface that has no thickness. A plane contains many lines extends without end in the directions of all its lines. You can name a plane either by a single capital letter or by at least three of its noncollinear points, plane DAB, or plane N. Points and lines that lie in the same plane are <i>coplanar</i>. Each surface of the rectangular prism is part of a plane. You can name the plane represented by the front of the prism by any three of the four letters: plane ABC, plane ABD, plane BCD, etc..</p>

A postulate or axiom is an accepted statement of fact. We do not prove postulates. We have three postulates from this section that we need to remember:

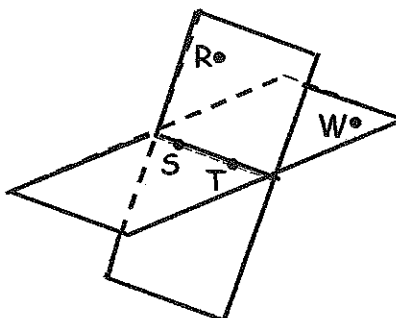
<p>Through any two points there is exactly one line.</p>	 <p>Line m is the only line that passes through A and B</p>
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If two lines intersect then they intersect in exactly one point.



\overline{AD} and \overline{CB} intersect at E .

If two planes intersect, then they intersect in exactly one line.



Plane RST and plane STW intersect in \overline{ST} .

Algebra Connection:

Does the point $(4,8)$ lie on the line $y=3x-4$?
 $8 = 3(4) - 4$ ✓
 $8 = 8$

Does the point $(2,1)$ lie on the line $4y+3x=7$?
 $4(1) + 3(2) = 7$ no

Space - set of all point

collinear - points that lie on the same line

coplanar - points and lines in the same plane

postulate or axiom - an accepted statement of fact