

<p>Cornell Notes</p>	<p>Name: _____ Date: _____</p> <p style="text-align: center;">3-2</p> <p>Title of Notes: Proving Parallel Lines</p>
<p>Main Ideas/Questions</p> <p>Conditional $P \rightarrow Q$</p> <p>Converse $Q \rightarrow P$</p> <p>(To prove angles) ^{3.1}</p> <p>(To prove lines \parallel)</p>	<p>To prove lines are parallel use the CONVERSE of the postulate and theorems that used parallel line to prove congruency.</p> <p>3.1 <u>Corresponding \angle's Postulate:</u></p> <ul style="list-style-type: none"> If lines are parallel then corresponding \angle's are \cong <p>3.2 <u>Converse of Corresponding \angle's Postulate:</u></p> <ul style="list-style-type: none"> If corresponding angles are congruent, then the lines are \parallel <p><u>Alternate Interior \angle's Theorem:</u></p> <p>3.1</p> <ul style="list-style-type: none"> If lines are parallel, then the alternate interior angles are \cong <p>3.2 <u>Converse of Alternate Interior \angle's Theorem:</u></p> <ul style="list-style-type: none"> If <u>alt. interior \angles are \cong</u> then the lines are \parallel <p><u>Alternate Exterior \angle's Theorem:</u></p> <p>3.1</p> <ul style="list-style-type: none"> If lines are parallel, then the <u>alt. exterior \angles are \cong</u> <p>3.2 <u>Converse of Alternate Exterior \angle's Theorem:</u></p> <ul style="list-style-type: none"> If <u>alt. exterior \angles are \cong</u> then the lines are \parallel <p>3.1 <u>Same-Side Interior \angle's Theorem:</u></p> <ul style="list-style-type: none"> If lines are parallel, then the same side interior angles are <u>supplementary (adds to 180°)</u> <p>3.2 <u>Converse of Same-Side \angle's Theorem:</u></p> <ul style="list-style-type: none"> If <u>the same side int. \angles are supplementary</u> then the lines are \parallel

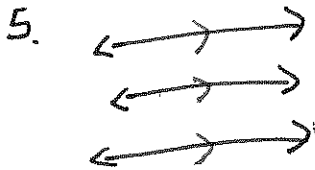
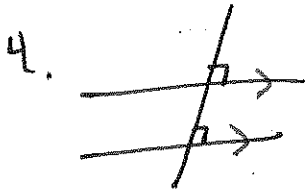
Cornell Notes

Name: _____

Date: _____

Main Ideas/Questions

Title of Notes: **Proving Parallel Lines**



Ways to Prove Two Lines Parallel

1. Show that a pair of corresponding angles are congruent.
2. Show that a pair of alternate interior angles are congruent.
3. Show that a pair of same-side interior angles are supplementary.
4. In a plane show that both lines are perpendicular to a third line.
5. Show that both lines are parallel to a third line.

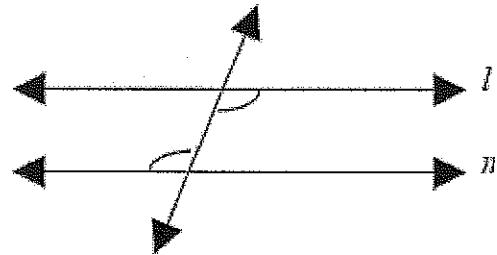
Practice Proving Parallel (II)

Determine whether the lines are parallel. Explain why or Why not for each answer.

1. yes $l \parallel n$

Justification:

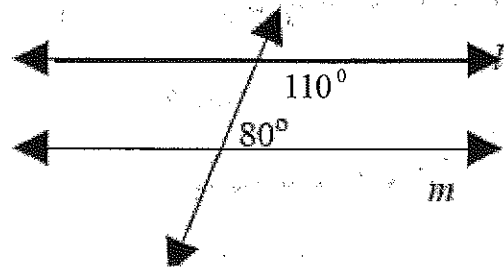
converse of alt. int. \angle s theorem



2. l is not \parallel to m

Justification:

same side int. \angle s are not supp.



3. GIVEN: $a \parallel b$ and $\angle 10 \cong \angle 7$

PROVE: $c \parallel d$.

If ~~we know~~, then $\angle 7 \cong \angle 15$ (corresponding) $c \parallel d$.

